

## Geometry week 7

Day 1: pp. 124-126 #1-25

Day 2: pp. 133-134 #1-24

Day 3: pp. 137-141 #1-31

Day 4: pp. 147-149 #1-23

Day 5: p. 126 #26-29, p. 141 #32-39, p. 149 #26-30

### Notes on Assignment:

#### Pages 124-126

##### **Work to show:**

#1-9: Answers only

#10-23: Draw angles

#24-25: Answers only

#1-9: Remember to read from the scale that has  $0^\circ$  along your bottom ray.

#10-17: Use a straightedge and protractor.

#19-23: You are drawing, not constructing, so use your straightedge and a protractor.

#### Pages 133-134

##### **Work to show:**

#All problems: Show work as needed.

#1-10: Place the protractor so that one ray lines up with the bottom line of the protractor and that the vertex lines up at your compass' cross-hairs. Follow the ray to the edge of the protractor and find  $0^\circ$ . Starting at the  $0^\circ$ , read along that scale to where your other ray is.

#11-13: Use the Angle Addition Postulate. The 2 measures of the smaller angles must add up to the measure of the large angle.

#14: These 2 angles form a linear pair, so you should know what their angles add to.

#19: If you take any 2 rays and subtract their measures using the same scale, it will tell you the measure of the angle formed by the 2 rays. Or, you can use a protractor and measure directly by placing one ray at  $0^\circ$ .

#21-24: What you are to do is finish the equation. What does the sum or difference equal?

#26-30: These are all from chapter 2, and all will be 3 disjoint sets.

## Pages 137-141

### **Work to show:**

All problems: Answers only is ok.

- #1: Consider the relationship between this angle and the given angle.
- #2: Consider the relationship between this angle and the given angle.
- #6: There are many answers to this. Just make sure that your 2 angles share a common side.
- #7-11: Before you answer these questions, use what you know about vertical angles, complementary angles, and/or addition of angles to figure out the measures of  $\angle FGA$  and  $\angle DGC$ .
- #11: You are to list an angle that is acute, obtuse, straight, and right.
- #12-14: We did this in class. See if you can do these with out looking at the overhead files of today's class.
- #15-17: First draw the picture that is described in the Given. Then answer #15 and 16. Use transitive property on your answer to #15 and 16 to come up with a conclusion.
- #18-22: We did this in class. See if you can do these with out looking at the overhead files of today's class.
- #23: Which theorem on page 137 tells us this?
- #26: What definition is this?
- #27: Which theorem on page 137 tells us this?
- #29: This property is the one that lets us relate the 2 equations from the previous step.
- #30: How did we get from the equation in #29 to the equation in #30? What was done to both sides of the equation? What property is this? (Refer to page 85 if needed.)
- #31: Any time you go from stating congruence to equal measures, or from equal measures to congruence, you are using the definition of congruence.

## Pages 147-149

### **Work to show:**

All problems: Answer as directed.

#11-12, 14: Refer to the pictures on the overhead or the descriptions in the paragraphs on pages 144-145.

#15: This is referring to the Pythagorean Theorem.

#16-20: You may want to sketch these if you have trouble figuring them out.

#22: In exercise #13 you discovered that the sum of the angles of a triangle is  $180^\circ$ . This is true for all triangles. So for this triangle, if you know one angle is  $70^\circ$  and one is  $x^\circ$ , how would you find the third angle?

#23: Use the Pythagorean Theorem on this:  $\text{leg}^2 + \text{leg}^2 = \text{hypotenuse}^2$

#28: If you knew the measure of one angle in a linear pair, what would you do to find the other angle? Do the same with the angle  $x$ .

#29: If you know the measure of one acute angle, how do you find the complement of it? Now do the same thing using  $x + 23$ .

#30: Let  $x$  = one angle. How would you represent the other angle if it is  $46^\circ$  more than the first one? And if the 2 angles are complementary, what would the equation be, using the 2 angles? (What do the 2 angles add up to?)

#31: Let  $x$  = one angle. How would you represent the other angle if it is  $15^\circ$  more than twice the first angle? Now write what the equation is that relates 2 supplementary angles.

#32: Let  $x = PD$ . How would you represent  $PC$  if it is 4 inches more than 3 times  $PD$ ? Now, since you have C-P-D, the 2 pieces  $CP$  and  $PD$  must add up to  $CD$ , which is given.