

## **Week 9 Pre-Algebra Assignment:**

Day 1: pp. 147-148 #1-21 odd, 22-29, 41-50

Day 2: pp. 150-153 #1-33 odd, 53-56

Day 3: p. 169 #1-35 odd, 45-52

Day 4: pp. 176-177 #1-30, 44-46

Day 5: Chapter 4 test

### **Notes on Assignment:**

Page 147-148: (#1-21 odd, 22-29, 41-50)

#### **Work to show:**

#1-11: Answers only

#13-21: Show the factorization tree for each number.

#23-29: Answer only is ok

#41-44: Show the rounded numbers and the answer.

#45-50: Answers only. Use  $n$  for the variable.

#1-11: Do these in your head. The GCF is the largest number that will go into each number.

#13-21: Use the factorization tree for each number. Then circle the factors that are common to each number. The GCF is the product of these numbers.

#23-27: Remember that for the GCF of the variables you pick out the variable term that has the smallest exponent. For example, the GCF for  $x^7$  and  $x^5$  is  $x^5$ . Or, you can expand each. For the number part, show the factor tree if needed.

Pages 150-153: (#1-33 odd, 53-56))

#### **Work to show:**

#1-15: Answers only

#17-27: Show factorization trees.

#29-33: Show work needed.

#53-56: Show steps to solve.

#1-15: To find the LCM you need the smallest number that all of the numbers will go in to.

#17-27: For the LCM write the prime factorization of the first number down, then write any other factors needed so that all of the numbers' factorizations are represented.

#29-33: For the LCM of variables, write the variable with the largest exponent. For example, the LCM for  $x^7$  and  $x^5$  is  $x^7$ .

#53-56: Show what is being done to both sides. Remember that when you multiply or divide by a negative number, you need to flip the inequality.

Page 169: (#1-35 odd, 45-52)

**Work to show:**

#1-15: Write down what you are multiplying each digit by.

#17: Answer only is ok.

#19-35: Show the place values for the given base, then show work.

#1-15: Do these problems as follows. Example: Write  $204_5$  in base 10.

$5^3 = 125$	$5^2 = 25$	$5^1 = 5$	$5^0 = 1$
	$2 \cdot 25$	$0 \cdot 5$	$4 \cdot 1$
	50	0	4

$$50 + 0 + 4 = 54_{10}$$

#17: You need  $4^0, 4^1, 4^2, etc.$  To get the numbers needed.

#19-35: Do these as follows. Example: Write 98 in base 4.

$4^3 = 64$	$4^2 = 16$	$4^1 = 4$	$4^0 = 1$
------------	------------	-----------	-----------

$$98 \div 64 = 1 \text{ R. } 34 \quad 34 \div 16 = 2 \text{ R. } 2 \quad 2 \div 4 = 0 \text{ R. } 2 \quad 2 \div 1 = 2$$

$$\text{Answer: } 1202_4$$

#45-48: Show the rounded numbers and then write the estimate.

#49-52: Combine like terms right away. The divide both sides to finish.

Pages 176-177: (#1-30, 44-46)

**Work to show:**

#1-13: Answers only

#14-23: Show factorization trees.

#24-25: Show any work needed.

#26-30: Show factorization trees.

#44-46: Show the place values for the given base, then show work.

#9-12: Refer back to your divisibility rules for these.

#13: See page 141.

### Chapter 4 Test:

What's on the test:

- Determine whether a number is a factor of another number.
- Determine whether a number is prime or composite.
- Write the prime factorization of a number.
- Find the GCF and LCM of a set of numbers.
- Write a number in base 10.
- Write a number in a different base.